

Variability of accreting black holes induced by shocks in low angular momentum flows

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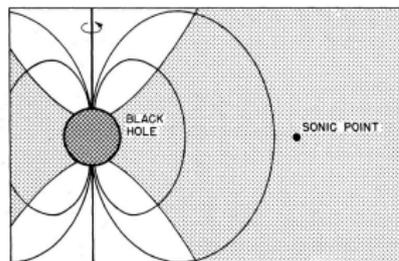
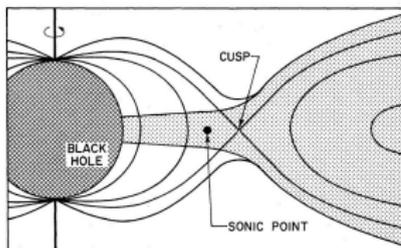
23.10.2017

Low angular momentum flows and shocks

- Abramowicz & Zurek (1981) - rotational bistability of transonic accretion, discontinuous sonic point location (sonic point - inward speed of gas equals local sound speed $\mathfrak{M} = u/a = 1$)

Two regimes of accretion of polytropic gas

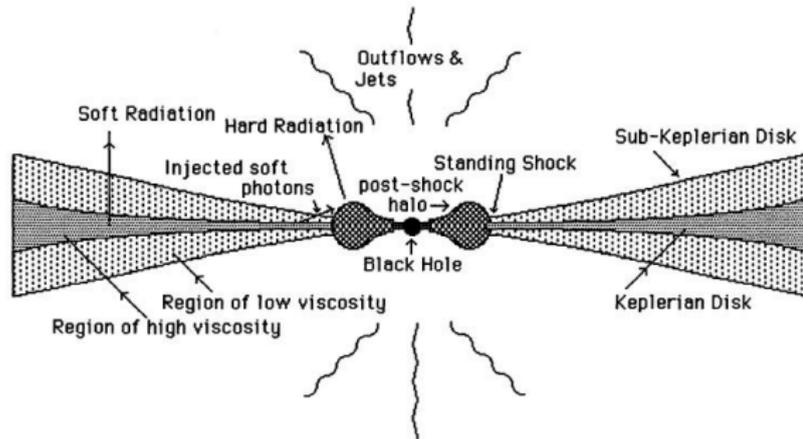
- disklike accretion - high value of angular momentum λ
sonic point located close to compact object ($r_s < 3r_g$)
- quasispherical accretion - low λ
sonic point located far away from the compact object



Abramowicz & Chakrabarti (1990), Das (2002, 2003),
Das & Czerny (2012)

Low angular momentum flows and shocks

- Chakrabarti & Titarchuk (1995) discussed two component accretion flow with Keplerian disc and low angular momentum layer (quasi-spherical or surrounding the disc)



- The existence of multiple critical points leads to the possibility standing shock existence and hysteresis effect \Rightarrow slow change of parameters can evoke asymmetric oscillatory behaviour

Shock existence in 1D – Quasi-spherical flow

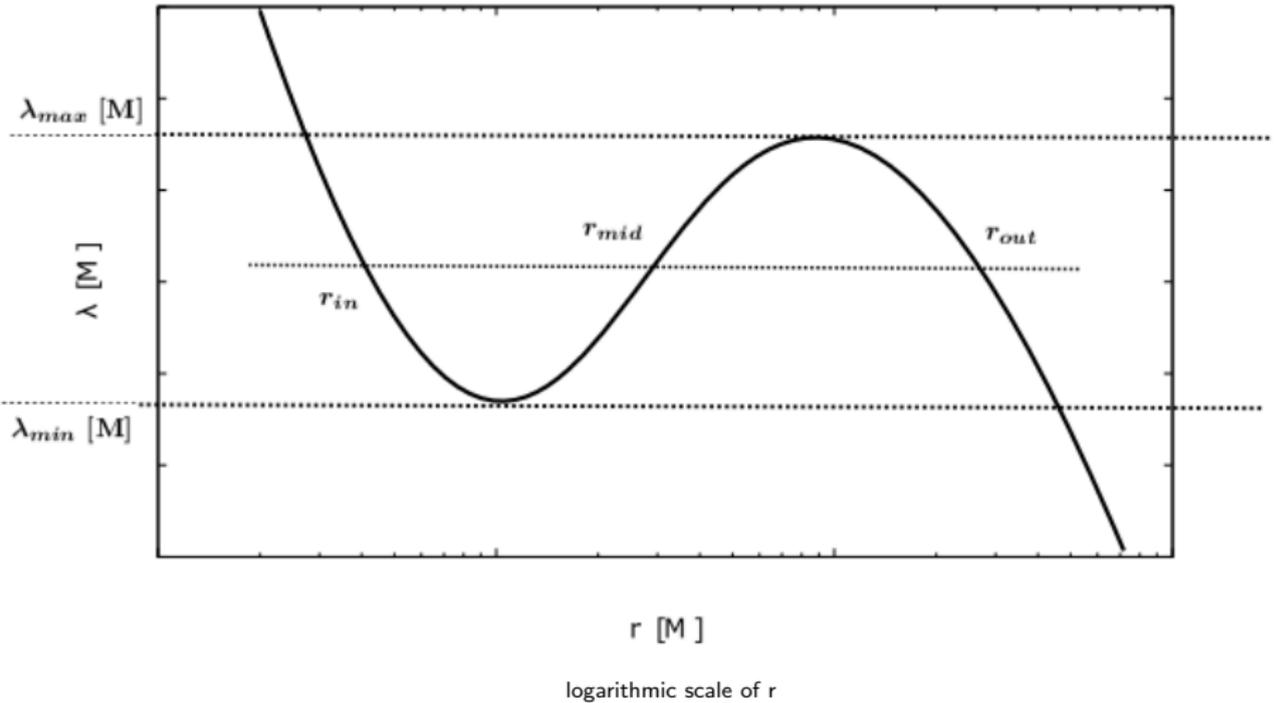
- Continuity equation + energy conservation for the steady state + polytropic EOS ($p = K\rho^\gamma$)
→ radial gradient of the flow velocity

$$\frac{du}{dr} = \frac{\frac{\lambda^2}{r^3} - \frac{d\Phi(r)}{dr} + \frac{2c_s^2}{r}}{u - \frac{c_s^2}{u}} = \frac{\frac{\lambda^2}{r^3} - \frac{1}{2(r-1)^2} + \frac{2c_s^2}{r}}{u - \frac{c_s^2}{u}}, \quad (1)$$

$\Phi(r) = -\frac{1}{2(r-1)}$ – Paczynski-Wiita gravitational potential (pseudo-newtonian description of gravity)

- Describing smooth inward accretion of gas:
if denominator = 0 \Rightarrow numerator = 0 – critical points
(in our case: critical points = sonic points)

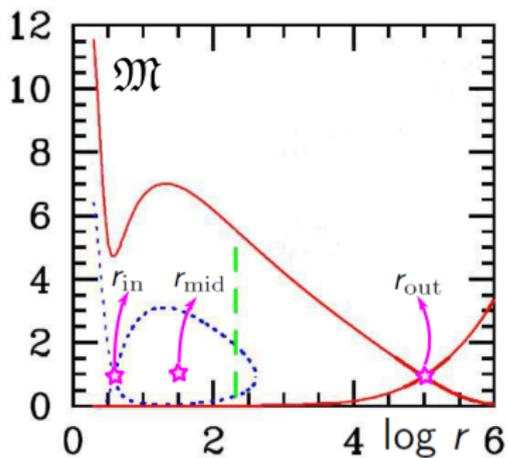
Position of critical points



- Some parameters – 3 critical points (2 possible sonic points)
- Two different branches of solution going through the inner and outer critical point with the same \dot{M} , but different \dot{M}

$$\dot{M}_{ci} = \dot{M} K_{ci}^n \gamma^n = u_{ci} r_{ci}^2 a_{ci}^{2n} \quad (2)$$

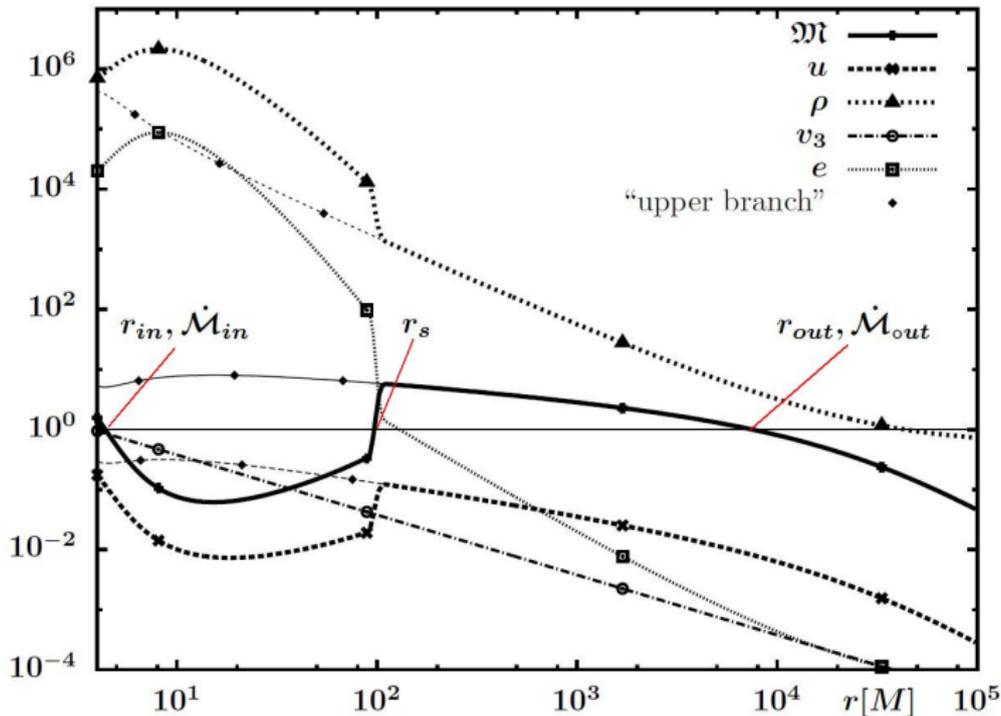
- \dot{M}_{ci} and K_{ci} given by r_{ci} , u_{ci} and a_{ci} , $n = \frac{1}{\gamma+1}$



- Accretion flow with shock – outer branch with lower entropy accretion rate jumps to inner branch with higher entropy accretion rate $\dot{M}_{in} > \dot{M}_{out}$
- Rankine-Hugoniot conditions satisfied at some radius $r_s \Rightarrow$ shock possible (but not inevitable!)

Das & Czerny (2012)

1D pseudo-Newtonian computation in ZEUS



$\gamma = 4/3$, $E = 10^{-4}$, $\lambda = 3.78M$, $r_{in} = 4.39M$, $r_{out} = 7483M$, $r_s = 111M$

Suková & Janiuk (2015) MNRAS, 447, 1565

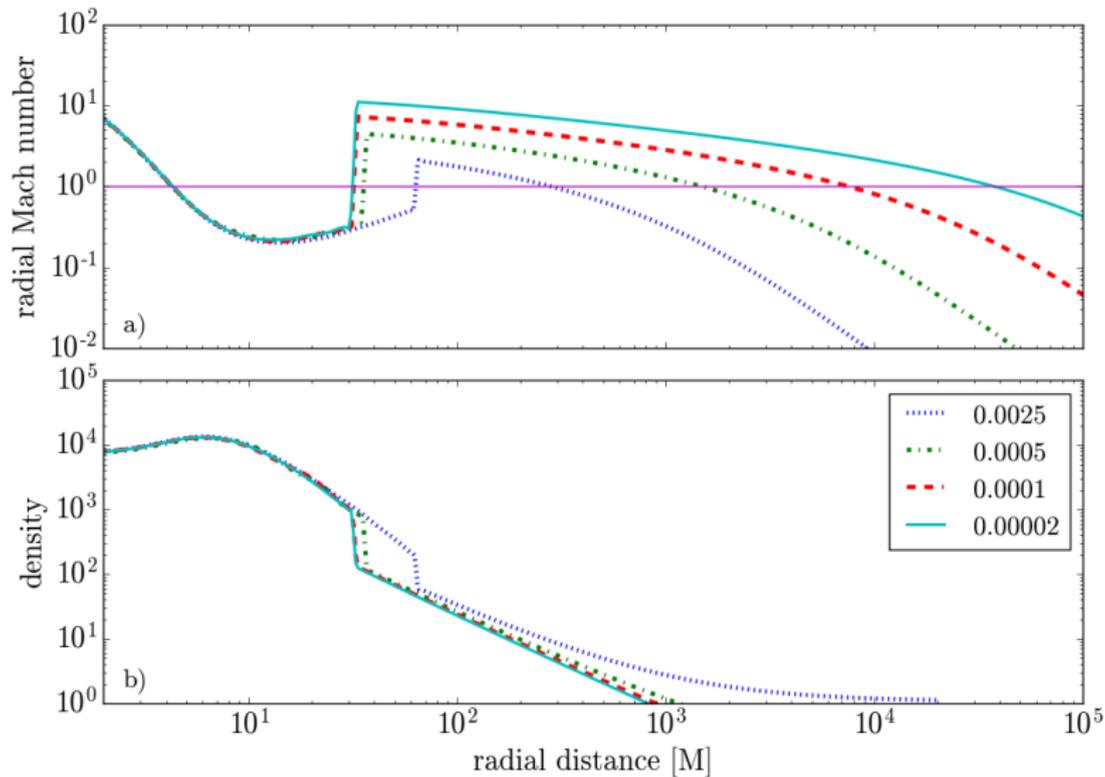
- Open source software package for GRMHD computations HARMPI (Gammie et al, 2003; Tchekhovskoy et al., 2011)
 - grid based ideal MHD
 - solver for continuity ($(\rho u^\mu)_{;\mu} = 0$) and energy-conservation equation ($T^\mu{}_{\nu;\mu} = 0$; $T_{gaz}^{\mu\nu} = (\rho + \rho\varepsilon + p)u^\mu u^\nu + pg^{\mu\nu}$)
 - conservative scheme:

$$\partial_t \mathbf{U}(\mathbf{P}) = -\partial_i \mathbf{F}^i(\mathbf{P}) + \mathbf{S}(\mathbf{P}) \quad (3)$$

\mathbf{U} – conserved vars, \mathbf{P} – primitive vars, \mathbf{F}^i – fluxes, \mathbf{S} – sources

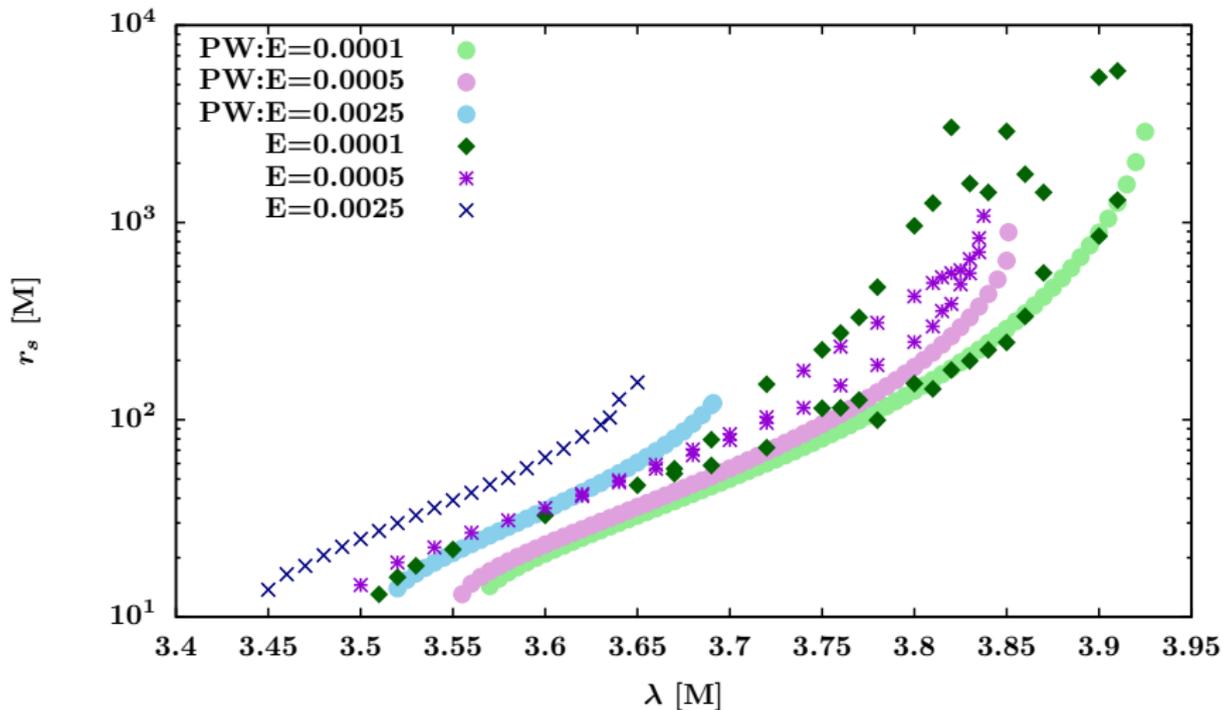
- numerical inversion of non-linear relation $\mathbf{U}(\mathbf{P})$
 - fixed background (Kerr metric) – faster computation
 - spherical coordinates – suitable for our geometry
 - logarithmic grid in r – no need of grid refinement
- Comparison with the semi-analytic results and 1D pseudo-Newtonian simulations \Rightarrow first the simplest case: HD with $a = 0$, ideal gas $p = (\gamma - 1)\rho\varepsilon$

GRHD 1D simulations - stationary shock solutions



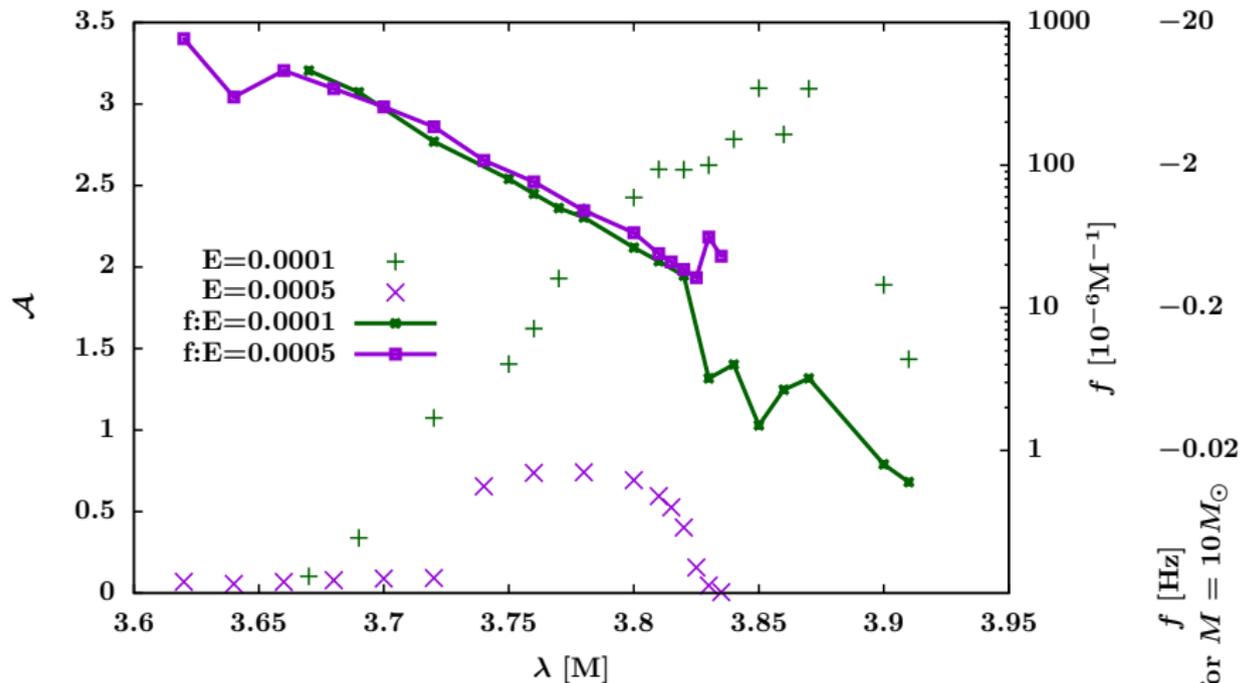
Suková, Charzyński & Janiuk (2017) MNRAS, stx2254

GRHD 1D versus PW comparison - shock position



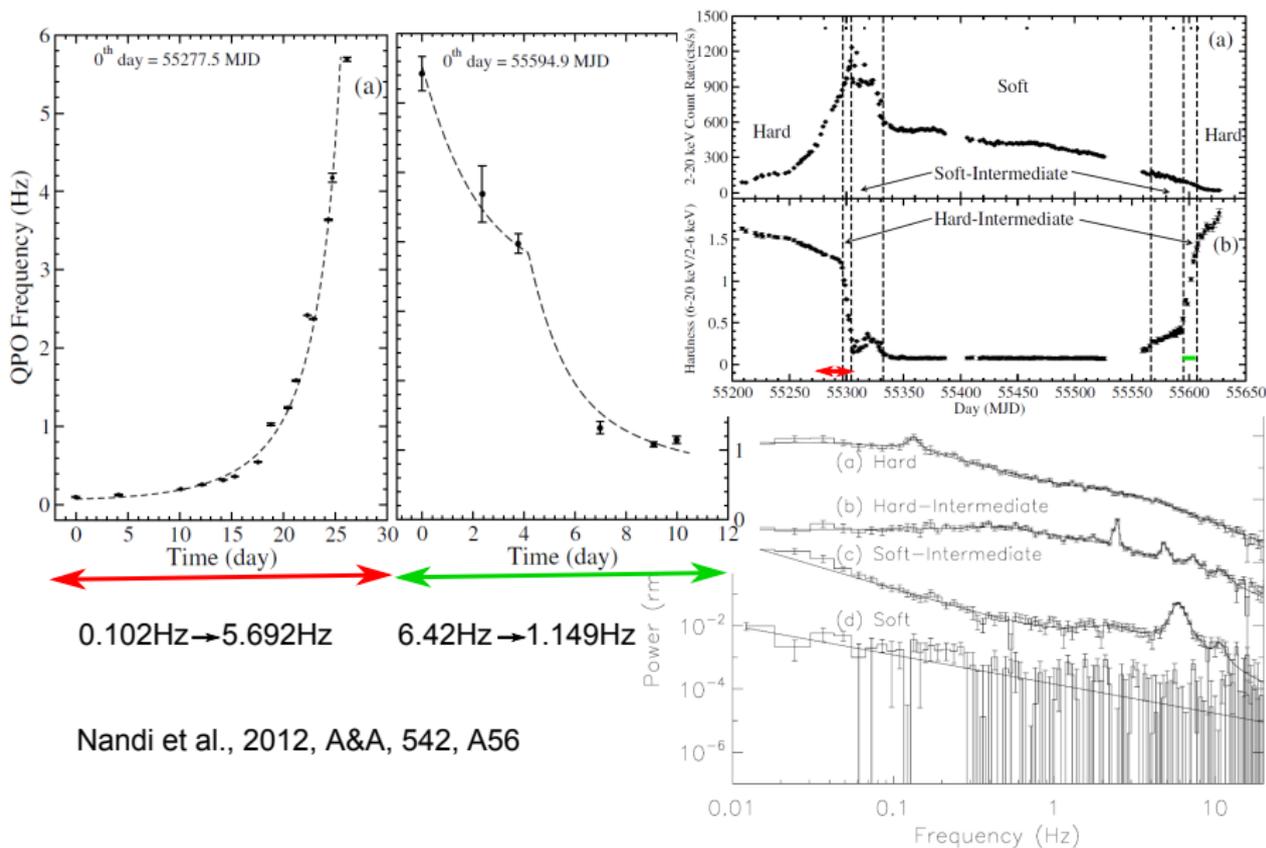
Oscillations of the shock front – non-stationary solution
⇒ variable accretion rate on the black hole

GRHD 1D simulations - oscillations of mass accretion rate



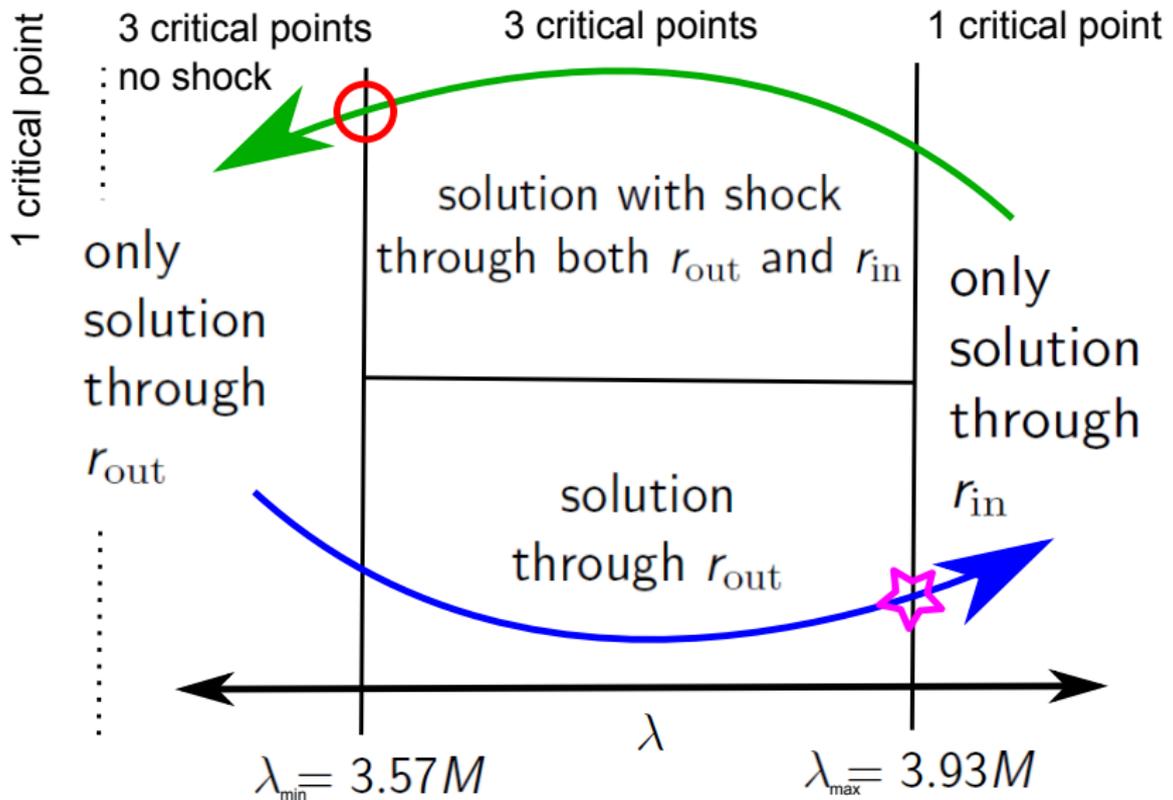
$$A = (\max(\dot{M}) - \min(\dot{M})) / \bar{\dot{M}}$$

Changing QPO frequency during outburst of GX 339-4

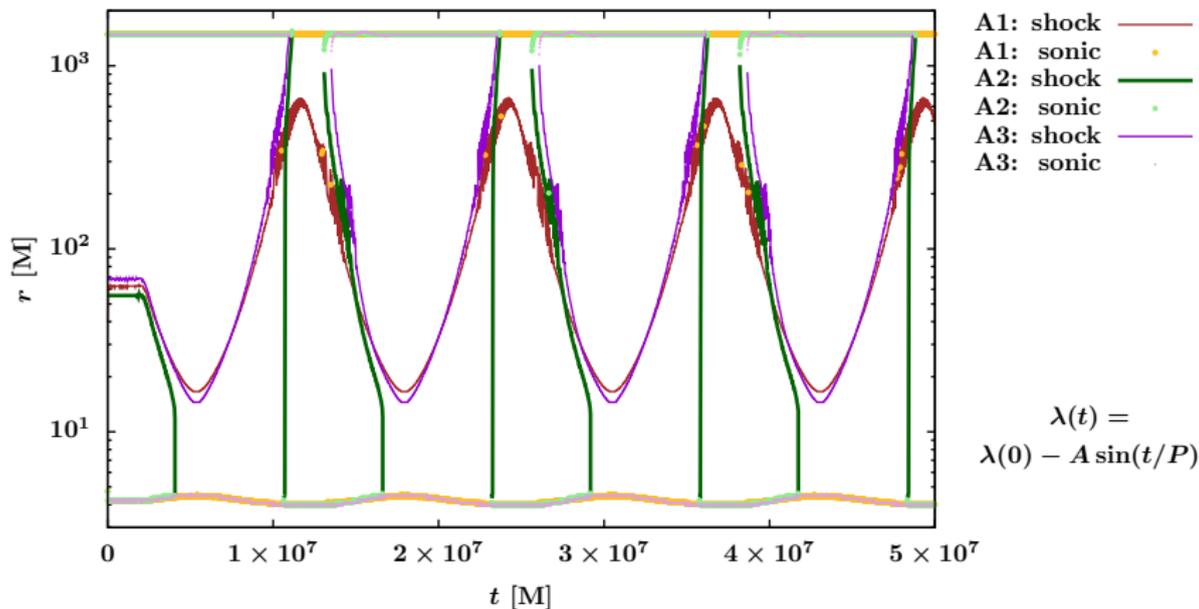


Nandi et al., 2012, A&A, 542, A56

Changing λ at the outer boundary and hysteresis loop

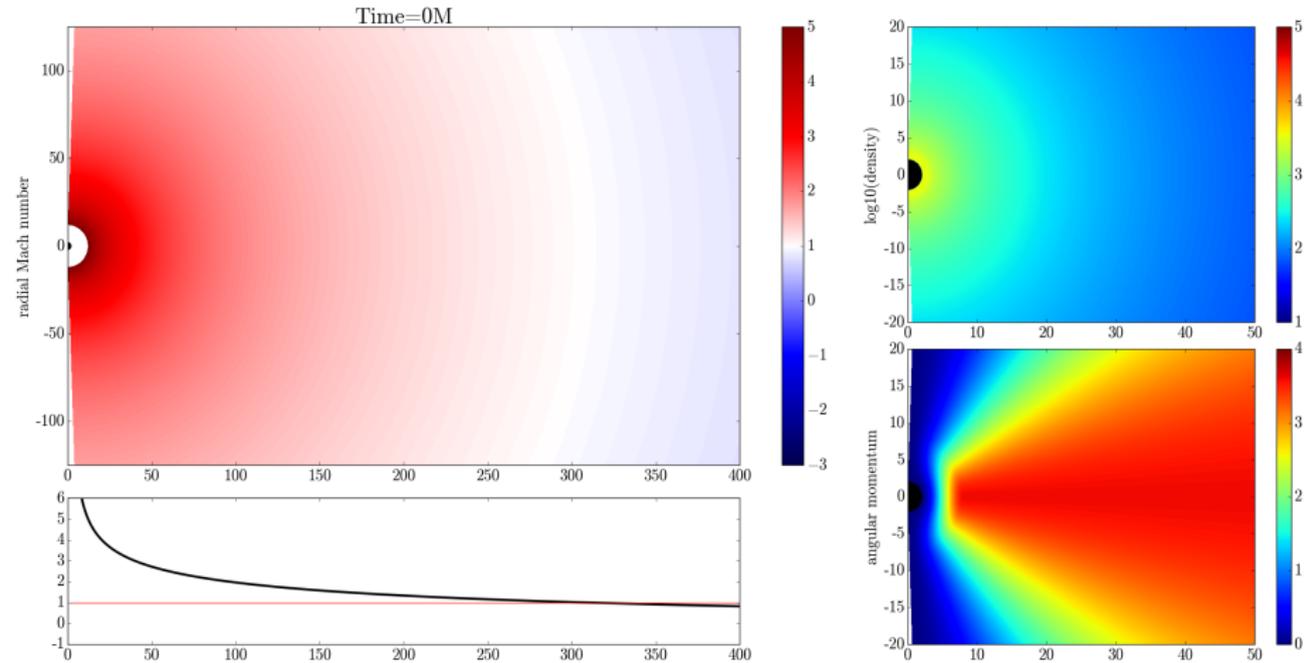


Hysteresis loop in 1D GRHD simulations



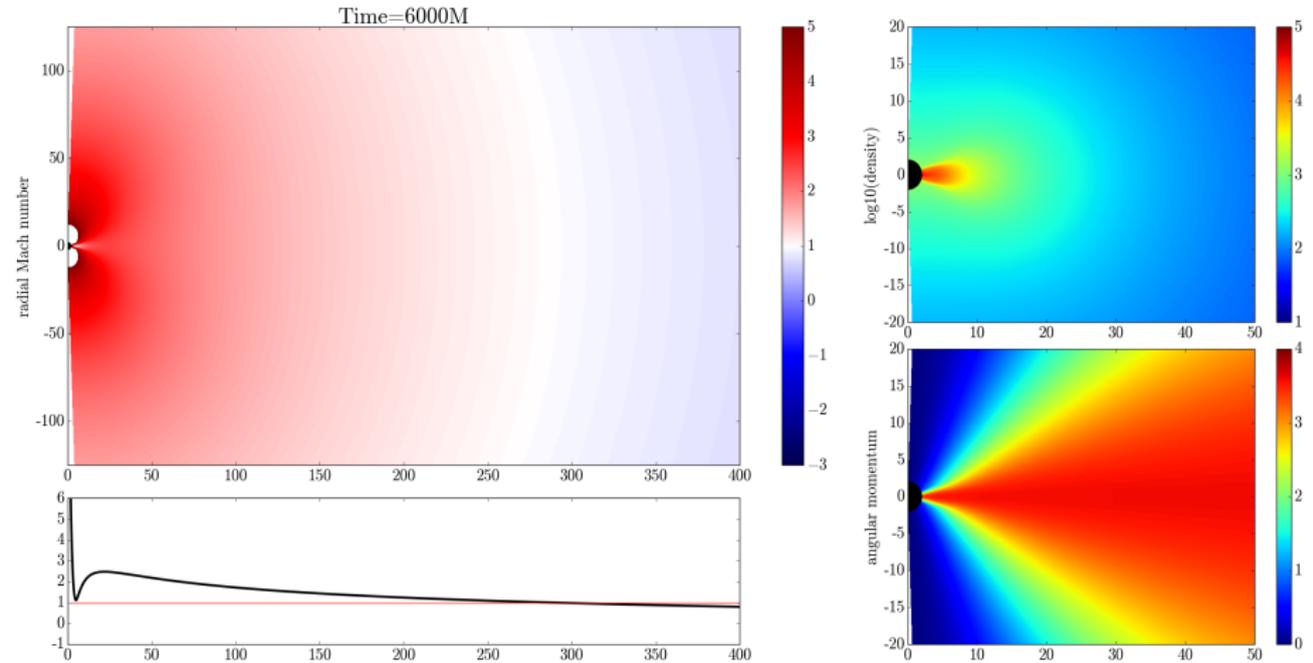
A1 – does not cross any boundary; A2 – crosses lower and upper boundary; A3 – crosses upper boundary

Bondi configuration + slow rotation



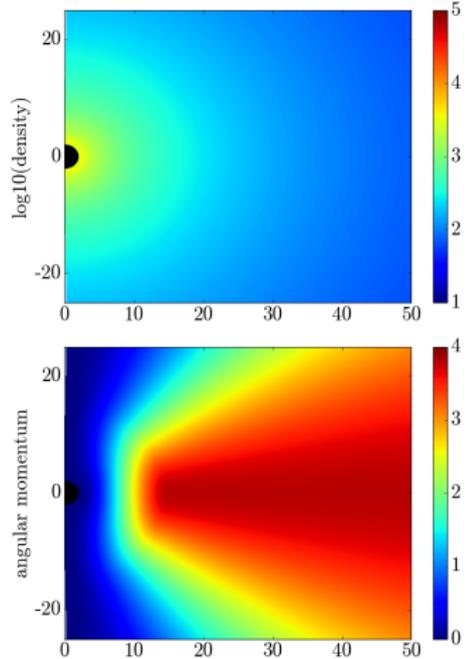
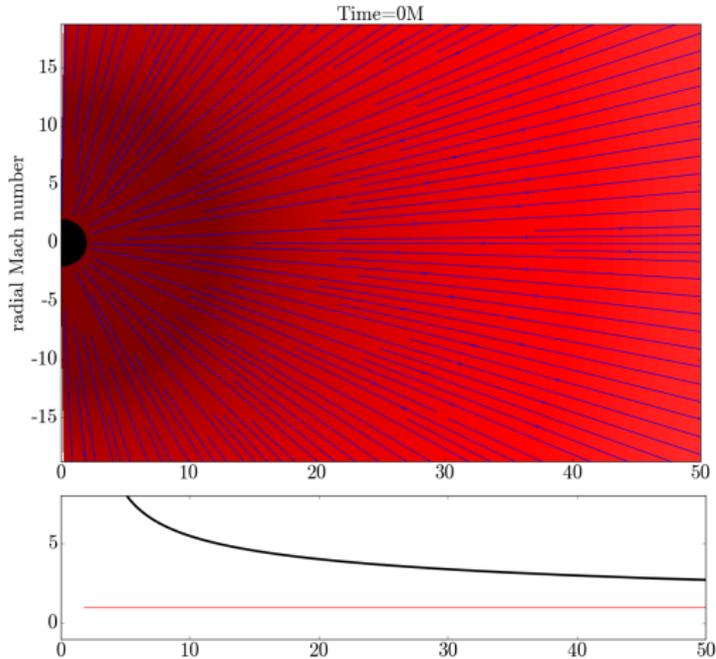
$$\gamma = 4/3, E = 0.0025, \lambda = 3.6M, r_{\text{in}} = 4.9M, r_{\text{out}} = 284.3M, r_s = 34.9M$$

Bondi configuration + slow rotation



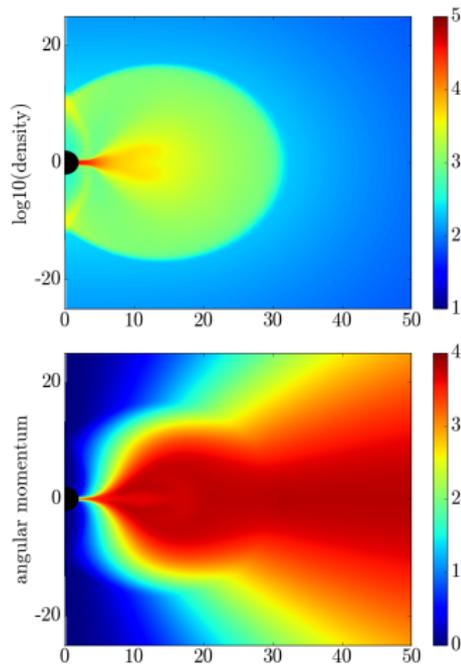
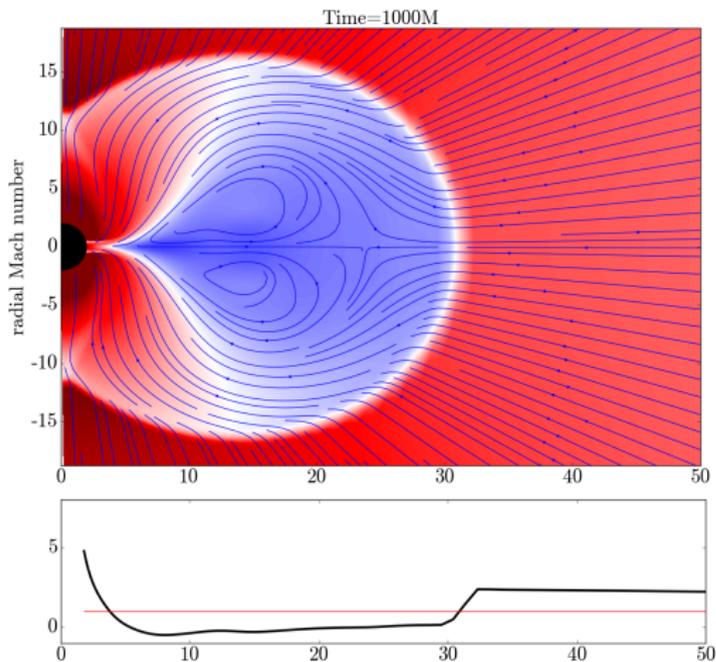
$$\gamma = 4/3, E = 0.0025, \lambda = 3.6M, r_{\text{in}} = 4.9M, r_{\text{out}} = 284.3M, r_s = 34.9M$$

Bondi configuration + higher λ , $t=0M$



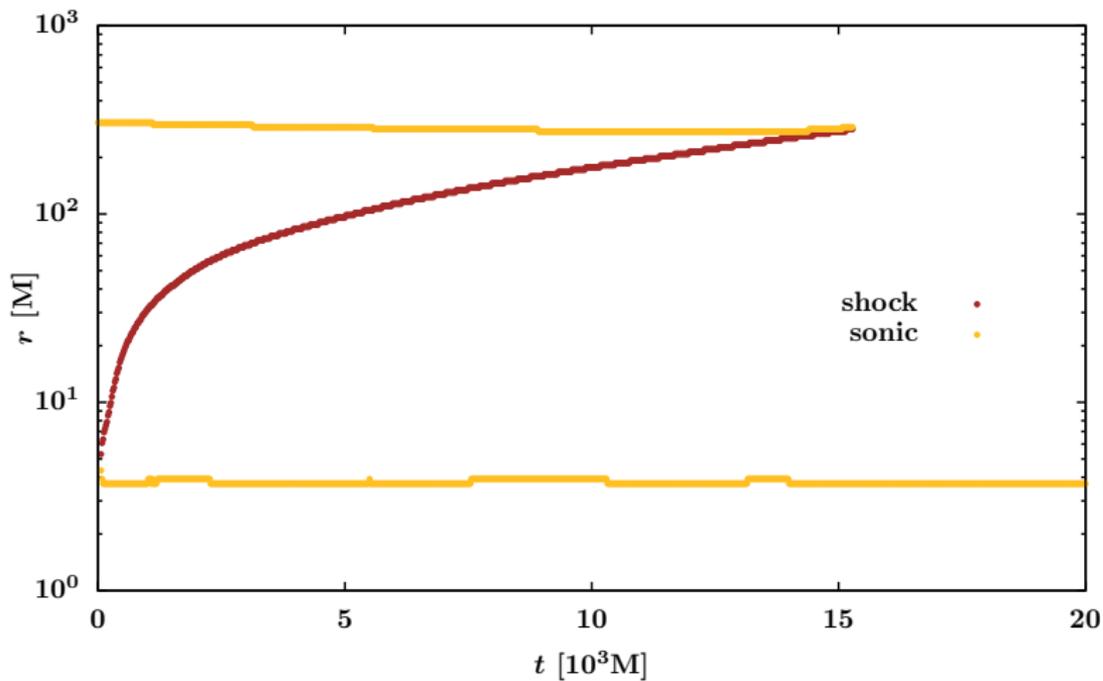
$$\gamma = 4/3, E = 0.0025, \lambda = 3.8M$$

Bondi configuration + higher λ , $t=1000M$



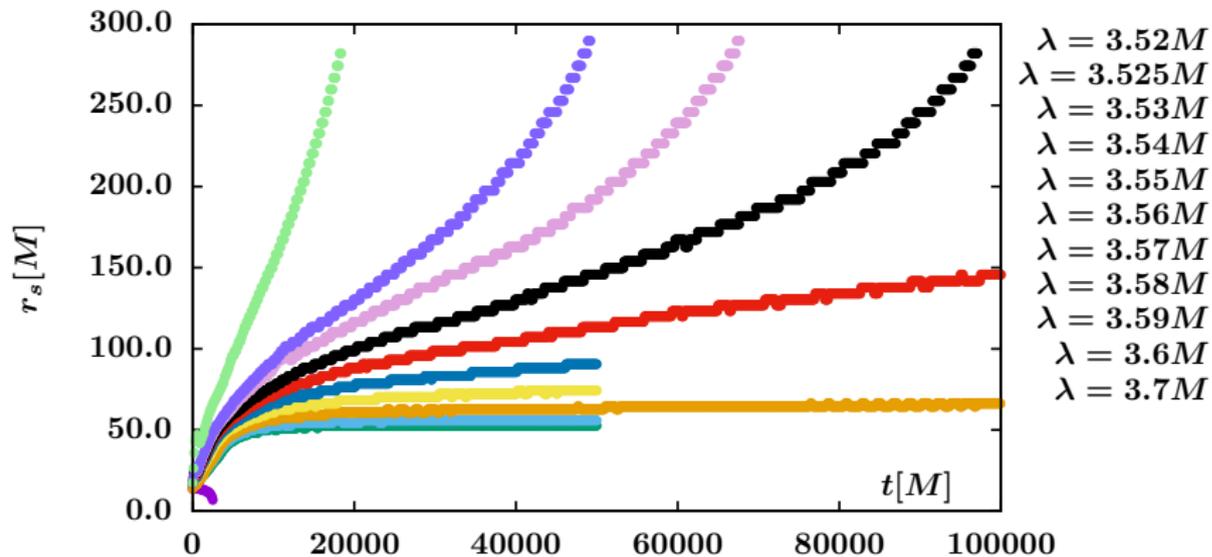
$$\gamma = 4/3, E = 0.0025, \lambda = 3.8M$$

Bondi configuration + higher λ



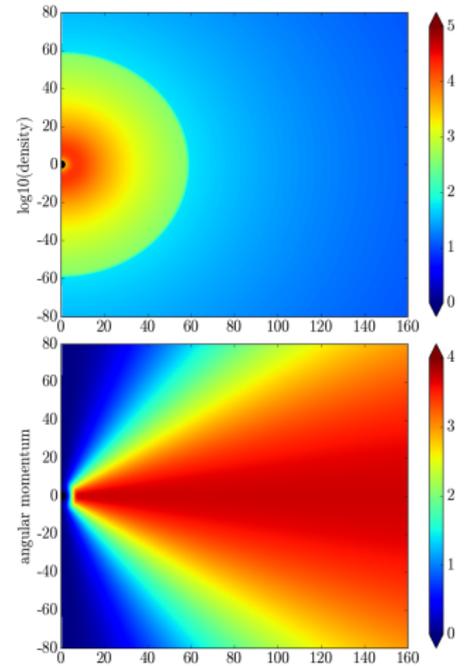
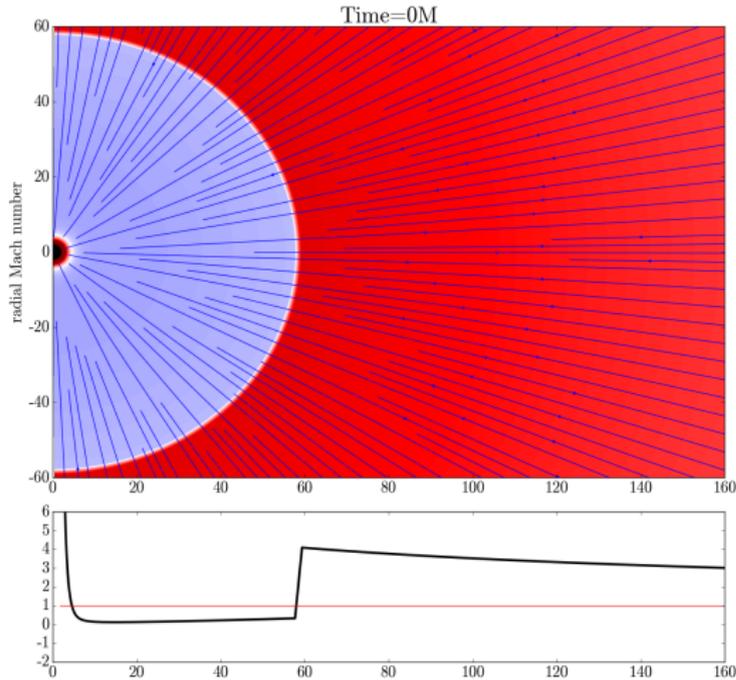
$$\gamma = 4/3, E = 0.0025, \lambda = 3.8M$$

Shock front movement for different λ



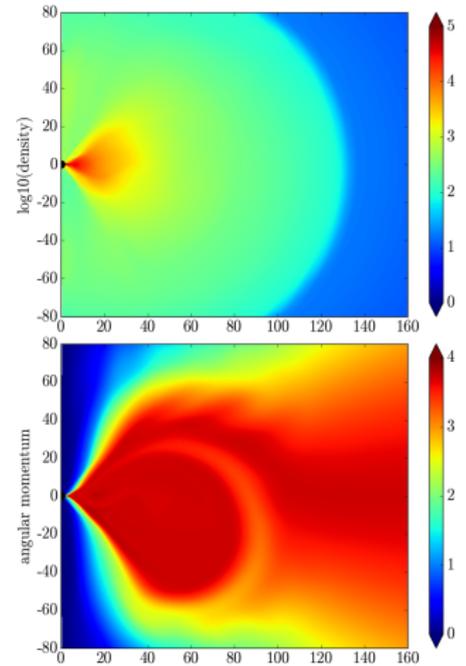
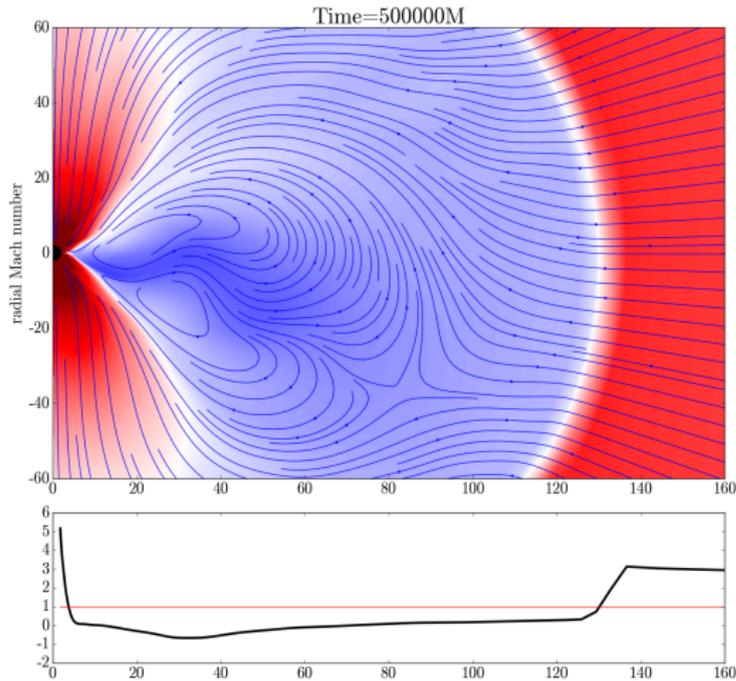
$\gamma = 4/3$, $E = 0.0025$, Suková & Janiuk (2016), Proceedings of the International Astronomical Union, S324, 23

Shock solution with spherical density distribution - lower E



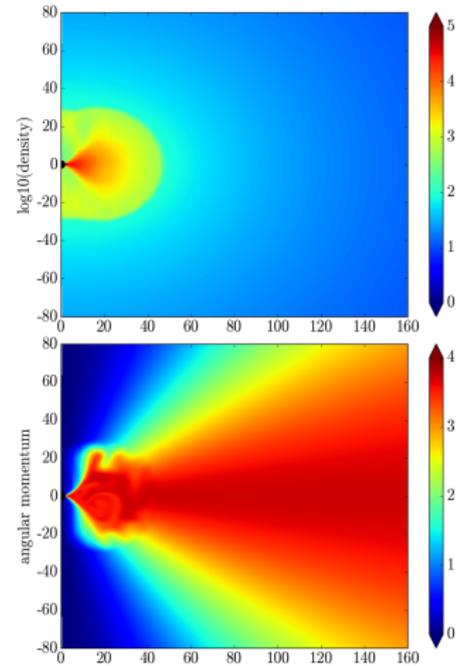
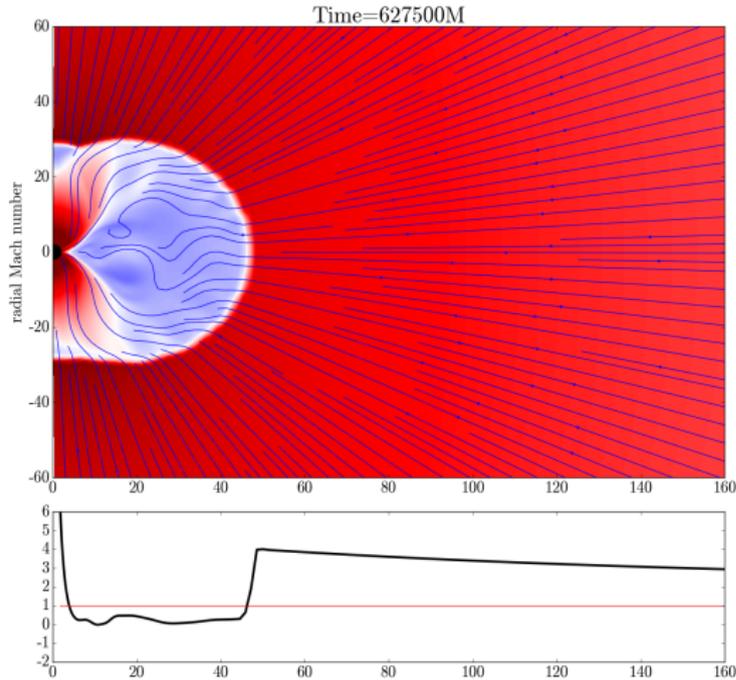
$$\gamma = 4/3, E = 0.0005, \lambda = 3.72M$$

Shock solution with spherical density distribution - lower E



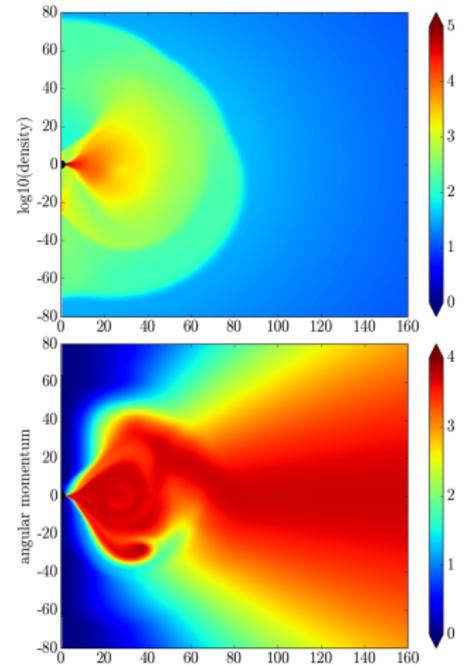
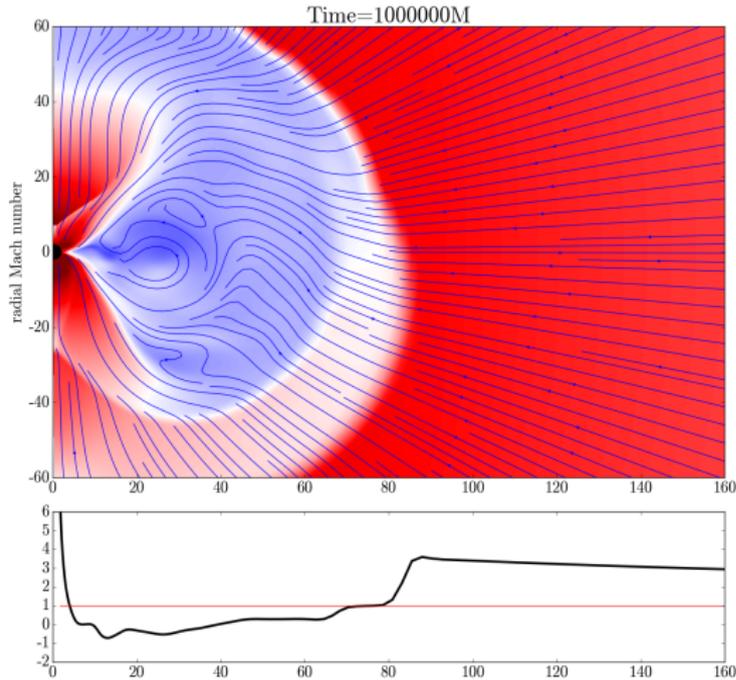
$$\gamma = 4/3, E = 0.0005, \lambda = 3.72M$$

Shock solution with spherical density distribution - lower E



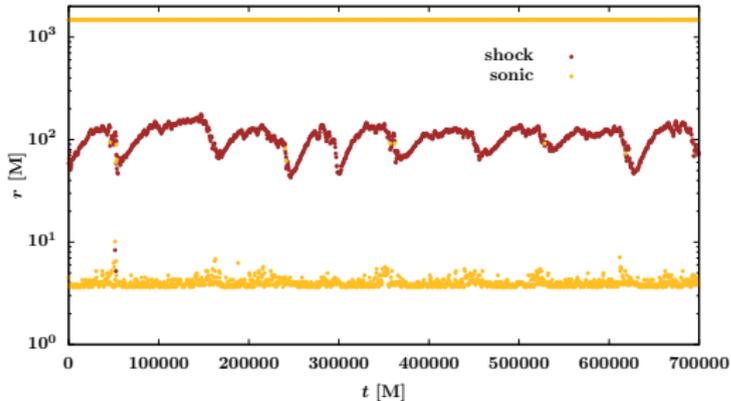
$$\gamma = 4/3, E = 0.0005, \lambda = 3.72M$$

Shock solution with spherical density distribution - lower E



$$\gamma = 4/3, E = 0.0005, \lambda = 3.72M$$

Time dependent shock position and accretion rate



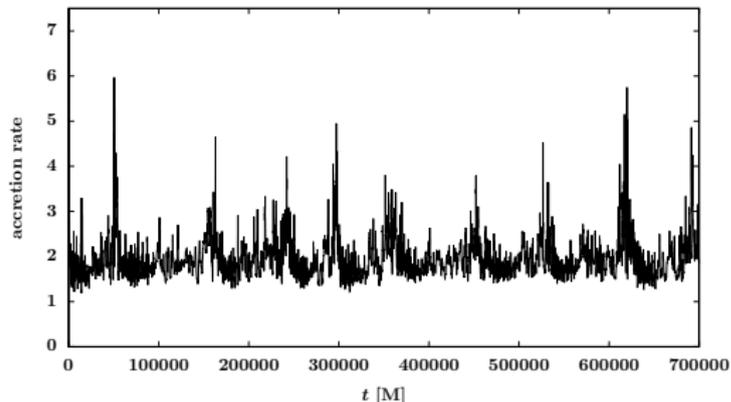
$$\gamma = 4/3$$

$$E = 0.0005$$

$$\lambda = 3.72M$$

$$M = 10M_{\odot}$$

$$10^5 M \approx 5s$$



Similar results for spinning black hole:
smaller values & narrower range of λ

$$a = 0: \lambda \in (3.59 - 3.8)M;$$

$$a = 0.3: \lambda \in (3.35 - 3.48)M;$$

$$a = 0.8: \lambda \approx 2.8M;$$

$$a = 0.95: \lambda \approx 2.45M$$

- Semi-analytical treatment of shock existence in quasi-spherical flow with low angular momentum in 1D + simulations
- Hysteresis loop proposed by Das & Czerny (2012) in 1D
- First results in GRHD in 2D/3D with Einstein toolkit and HARMPI – outer Bondi-like branch of solution confirmed, shock solution – steady standing shock configuration or shock growing, shock front moving outside, slightly different values of parameters, oscillations observed
- Near future goals:
 - Influence of magnetic field on shock geometry – transport of angular momentum
- Further goals:
 - Inclusion of the Keplerian component into the simulations
 - Add more physical properties (better EOS, radiation, etc.)
 - Comparison with AGNs' flares and microquasars' outbursts (models and observational data)

- Observations and modelling
 - Chakrabarti et al., 2008, A&A, 489, L41
 - Mościbrodzka et al., 2006, MNRAS, 370, 219
 - Nandi et al., 2012, A&A, 542, A56
 - Nowak et al., 2012, ApJ, 759, 95
- Hydrodynamical simulation in 2D
 - Proga, Begelman, 2003, ApJ, 582, 69
 - Janiuk, Proga, Kurosawa, 2008, ApJ, 681, 58
- Theoretical studies about the possible shocks existence
 - Abramowicz, Zurek, 1981, ApJ, 246, 314
 - Abramowicz, Chakrabarti, 1990, ApJ, 350, 281
 - Chakrabarti, Titarchuk, 1995, ApJ, 455, 623
 - Das, 2002, ApJ, 577, 880
 - Das, Czerny, 2012, NA, 17, 254
- Our results
 - Suková & Janiuk (2015) MNRAS, 447, 1565
 - Suková & Janiuk (2015) JPCS, 600, 012012
 - Suková et al (2016) Proc. of IAU, S324, 23
 - Suková et al (2017) MNRAS, 472, 4327